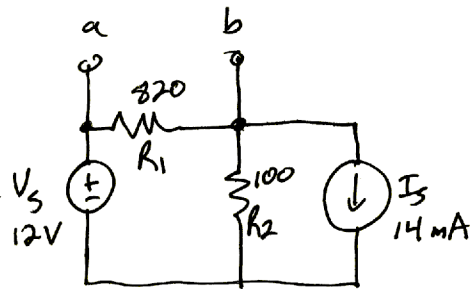


#1



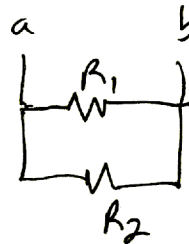
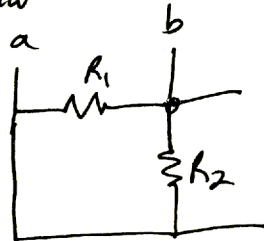
Find the Norton equivalent between a-b

Find $R_{Nor} = R_{Th}$. $\rightarrow$ Set all indep. sources to zero

$V_{source} \rightarrow \emptyset V$ (short circuit)

$I_{source} \rightarrow \emptyset A$ (open circuit)

redraw



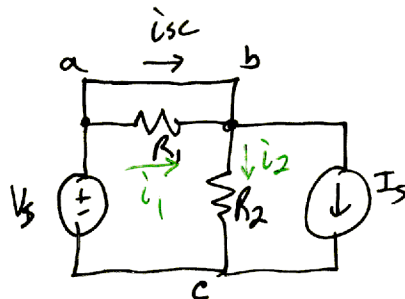
$$R_{ab} = R_{Nor} = R_{Th} = R_1 // R_2$$

$$= \frac{(320)(100)}{320 + 100} = 89.130 \Omega$$

$$\boxed{89.1 \Omega}$$

✓ matches

Find $I_{short\ circuit}$ ($= I_{Nor}$)



KCL @ b

$$i_{sc} + i_1 = i_2 + I_s$$

$$\textcircled{1} \quad i_{sc} + \frac{V_{ab}}{R_1} = \frac{V_{bc}}{R_2} + I_s$$

here, $V_{ab} = \phi$ (short-circuit)

by KVL, $V_{bc} = V_s - V_{ab}$
 ϕ

$$\text{so } V_{bc} = V_s$$

replace into ①

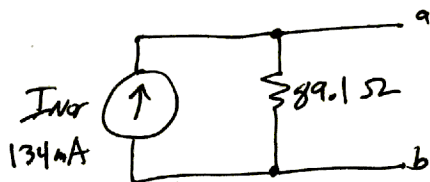
$$\dot{I}_{sc} + \frac{\phi}{R_1} = \frac{V_s}{R_2} + I_s$$

$$\dot{I}_{sc} = \frac{12V}{100\Omega} + 14mA$$

120mA

$$\boxed{I_{Nor} = \dot{I}_{sc} = 134mA}$$

✓ ~~the~~ matches



Thevenin equivalent: $V_{Th} = I_{Nor} \cdot R_{Nor}$
 $= (134mA)(89.1)$

$$\boxed{V_{Th} = 11.943 V}$$